

# A 16-mW 1-GS/s With 49.6-dB SNDR TI-SAR ADC for Software-Defined Radio in 65-nm CMOS

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**Abstract**—This paper presents a 10-bit 1-GS/s four-channel time-interleaved (TI) successive approximation register (SAR) analog-to-digital converter (ADC). To suppress the time skew, the full rate master clock-based sampling technique is adopted. The effect of sampling switch mismatches on time skew is addressed. The measured time skew spurs caused by the sampling switch mismatches are around  $-52$  to  $-55$  dB at Nyquist input. Then, a tap-interpolating fractional delay filters-based digital background time skew calibration technique is proposed. Also, a full analysis of the effects of the various parameters on the time skew generated spur levels is presented, which indicates that the time skew error level is related to the length of calibration filters, calibration range, and bandwidth penalty. The subchannel ADC exploits a 250-MS/s SAR ADC with a low-cost high-speed subradix-2 searching technique. The reference interference of nonbinary TI ADCs is discussed and tolerated by the subradix-2 searching scheme. The proposed adders-based encoding circuit is optimized with lower propagation delay to meet high-speed requirements. The prototype was fabricated in a 65-nm CMOS technology. The measurement results show that the ADC achieves a signal-to-noise-plus-distortion ratio of 49.6 dB with a power of 15.95 mW and a figure of merit of 63 fJ/conversion step when operating at 1-GS/s and 458.1-MHz Nyquist input. The ADC core achieves an area of 0.158 mm<sup>2</sup>.

**Index Terms**—Digital background calibration, subradix-2, successive approximation register (SAR) analog-to-digital converters (ADCs), time interleaved (TI), time skew.

## I. INTRODUCTION

THE scaling of CMOS technology has fuelled the emergence of high-performance analog-to-digital converters (ADCs) with lower power consumption and smaller silicon area [1]–[6]. The power and area efficient high-performance ADCs, instead of traditional ADCs with hundreds of milliwatts power consumption [7]–[11], facilitate software-defined radio, and wideband communication implementations. Also, portable testing instruments (e.g., portable oscilloscopes, spectrum analyzers) could be further developed by leveraging such low-power high-performance ADCs.

Manuscript received June 17, 2017; revised August 22, 2017 and October 3, 2017; accepted November 6, 2017. Date of publication December 4, 2017; date of current version February 22, 2018. This work was supported by Infineon Technologies Asia Pacific Pte. Ltd., Singapore. (Corresponding author: Lei Qiu.)

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Digital Object Identifier 10.1109/TVLSI.2017.2771811

It is known that pipelined ADCs are suitable for implementations with high-resolution and high-speed sampling at gigahertz frequencies [12]–[15]. However, to achieve low power consumption, power efficient amplifiers are needed. Some techniques were reported [15]–[19] to overcome the design challenges (low intrinsic device gain and low-power supply). However, the calibration techniques introduce complicated circuits requiring additional silicon area and power consumption [15]. Successive approximation register (SAR) ADCs are power and area efficient [1]–[6]. However, due to the serial comparison nature and accuracy requirement for each comparison cycle, the sampling rates of prior high-speed SAR ADCs [1], [20], [21] are limited. Complex arithmetical unit-based subradix-2 algorithm has been discussed in [32] and [35]. They were not suitable for high-speed implementations due to the long SAR logic loop propagation delay. To achieve higher sampling rate with SAR architecture, time-interleaved (TI) SAR ADCs were presented [5], [9]–[11], [22]–[24]. However, the power and area overhead in terms of clock distribution increase heavily. The power efficiency of a 24-way TI SAR ADC in [24] was improved as compared with traditional TI ADCs [9]–[11]. However, the time-interleaving overhead of clock distribution is still non-negligible. Another eight-way TI SAR ADC [22] consumes large area of 0.78 mm<sup>2</sup> with off-chip timing calibration, with one flash ADC degrading the system power efficient. The state-of-the-art TI SAR ADC [23] with fully digital background time skew calibration utilized the differentiating finite-impulse response (FIR) filter to estimate and compensate the timing offset, which consumes large power and has large bandwidth penalty.

In this paper, we present a 1-GS/s 10-bit four-channel TI SAR ADC consuming only 15.95-mW power and 0.158-mm<sup>2</sup> core area [40]. To constrict the time skews in a small range, a time skew suppressed sampling technique with full rate clock for TI ADCs is utilized and the mismatch of sampling switches is considered. To further compensate the time skew, a tap-interpolating fractional delay (TIFD) FIR correction filter-based calibration technique is proposed, which consumes less computation units and drops less bandwidth in digital domain. A full analysis of parameter effect on time skew spurs is presented, which indicates that the time skew error level is related to the length of calibration filters [interpolation filter (IF) and fractional delay filter], calibration range, and bandwidth penalty. In addition, the reference interference in redundant TI SAR ADC is addressed. This paper implements a high-speed subradix-2 searching technique, with only

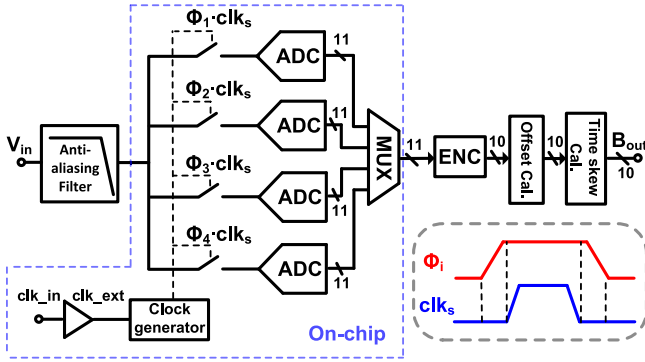


Fig. 1. Proposed architecture of the four-channel TI-ADC with sampling rate at 1 GS/s.

adder-based encoding (ENC) scheme for SAR ADCs. The proposed adders-based ENC circuit is optimized with lower propagation delay to meet high-speed requirement.

This paper is organized as follows. Section II introduces the proposed TI SAR ADC architecture, including sampling scheme, subradix-2 high-speed sub-SAR ADC, and the proposed digital background time skew calibration technique. The detailed circuit implementations are described in Section III. Section IV shows the measurement results. Finally, the conclusion is drawn in Section V.

## II. PROPOSED TI-ADC ARCHITECTURE

The overall ADC architecture is shown in Fig. 1, which consists of four sub-SAR ADCs operating at 250 MS/s with total 1 GS/s [40]. An anti-aliasing filter, which is implemented off-chip, is inserted in front of the ADC to filter noise and interference out of the band of interest. To reduce the time skew, the sampling instant of each channel is only determined by the falling edge of the 1-GS/s master clock  $clk_s$ , while the corresponding TI clock signals  $\Phi_i$  ( $i = 1, 2, 3, 4$ ) are used to perform the channel selection [13]. In sub-ADCs, one redundant bit is implemented in the proposed subradix-2 searching technique. After multiplexing, the digital outputs are decimated by a factor of 45 for testing purpose. The selection of decimation factor should equal  $n \cdot M + 1$  to ensure the decimated output rotating equally across all interleaved channels. Variable  $n$  is an integer and the  $M$  is the number of channels. The decimated outputs of ADC are followed by an ENC circuit to encode the outputs from 11-bit to 10-bit. The offset errors are extracted and compensated by averaging and accumulation in digital domain [7].

### A. Sampling Network

Although each channel is sampled by the same clock signal  $clk_s$ , there are still some time skew error sources, including threshold mismatches of the sampling switches (transistors  $M_1$ ,  $M_2$ , and  $M_s$  in Fig. 2) and size mismatches after fabrication. The effect of threshold mismatch of transistor  $M_1$  is explained in Fig. 2. The time skew  $\Delta t$  can be derived as

$$\Delta t = \frac{t_{\text{fall}}}{V_H - V_L} \Delta V_t \quad (1)$$

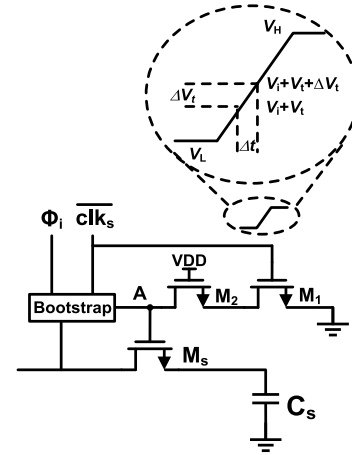


Fig. 2. Effect of threshold mismatch on time skew.

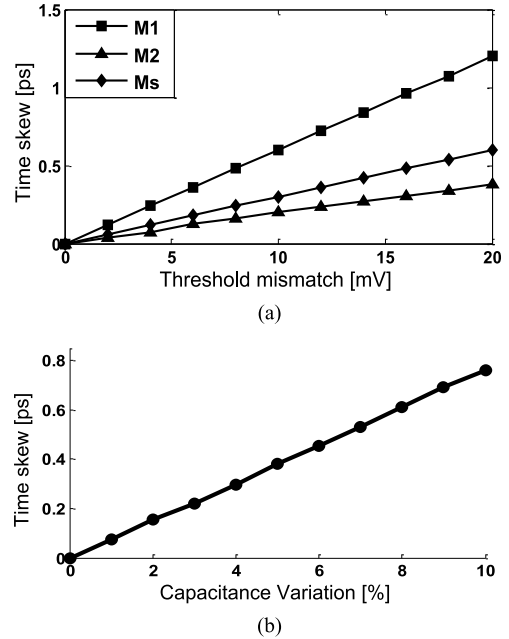


Fig. 3. Relation between time skew and (a) offset of transistors  $M_1$ ,  $M_2$ , and  $M_s$  and (b) capacitance variation at node A.

where  $t_{\text{fall}}$  is the falling (rising) time of the clock. From (1), it can be concluded that making the falling edge sharper and reducing threshold mismatch  $\Delta V_t$  of transistor  $M_1$  could decrease the time skew. To reduce threshold mismatches of sampling switches (transistors  $M_1$ ,  $M_2$ , and  $M_s$ ) shown in Fig. 2, the size of sampling switch could be increased properly according to [36], which states that the standard deviation of threshold mismatch is

$$\sigma_{\Delta V_t} = \frac{A_{V_t}}{\sqrt{WL}} \quad (2)$$

where  $A_{V_t}$  is the matching constant. To evaluate the effect of process variation on time skew, we set the falling time of  $clk_s$  as 70 ps, the size of  $M_1$  and  $M_2$  as  $4 \mu\text{m}/60 \text{ nm}$  and the size of the  $M_s$  as  $15 \mu\text{m}/60 \text{ nm}$ . The simulation results of threshold mismatch and capacitance mismatch at node A (Fig. 2) versus time skew are illustrated in Fig. 3, where  $M_1$  has a more

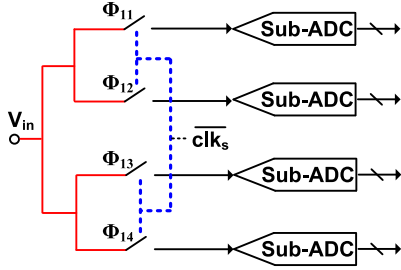


Fig. 4. Layout guidance of input and clock signal for the four-channel TI-ADC.

significant effect on time skew. The time skew is proportional to the capacitance variation at node A. To suppress the error caused by unmatched routing, the routing of clock signal  $clk_s$  and input signal  $V_{in}$  are illustrated in Fig. 4. The “binary tree” connection is utilized to guarantee the routings of  $clk_s$  and  $V_{in}$  to each channel identical. Assuming that the time skew error is treated as Gaussian distributed variable, the relation between signal-to-noise-plus-distortion ratio (SNDR) and time skew standard deviation  $\sigma_t$  with given input frequency  $f_{in}$  is [37]

$$SNDR = 20 \log \frac{1}{2\pi f_{in} \sigma_t} - 10 \log \left( \frac{M-1}{M} \right). \quad (3)$$

Therefore, to satisfy an SNDR of 60 dB at a 500-MHz input frequency, the time skew deviation  $\sigma_t$  between channels should be less than 0.37 ps, which is difficult to achieve without additional calibration even with perfect matching layout.

### B. TIFD Filter-Based Time Skew Calibration

Fractional delay filters (FDF) [27], [28] could be utilized to compensate the time skew error in digital domain. Supposing  $T$  is the overall ADC sampling period, and  $T_d = \alpha T$  represents the fractional delay, where  $\alpha$  is the normalized fractional delay. Because of the presented time skew suppressed sampling technique, the range of fractional delay in this design could be constrained into  $[-0.002T, +0.002T]$ . The calibration of time skew is divided into two parts: detection and correction. The time skew detection technique in [29] is employed, which compares the mean value (by accumulation and average) of the multiplication of signals  $x_m(n)$  ( $m = 0, 1, 2, \dots, M-1$ ) in two adjacent channels to detect the polarity of time skew error  $p(t_m)$  and updates the coefficients of fractional delay FIR filter  $F(a_m)$  adaptively as shown in Fig. 5 [40]. For time skew correction, the proposed fractional delay FIR filter architecture is shown in Fig. 6, where only the second channel ( $m = 1$ ) is illustrated and the length of FIR correction filter is  $2N + 1$  ( $N = 2, 4, \dots$ ) ( $N = 2$  in Fig. 6). The  $\alpha$  indicates the time error to be calibrated.  $C = [c_{0,0}, c_{0,1}, c_{1,0}, c_{1,1}, c_{2,0}, c_{2,1}, c_{3,0}, c_{3,1}, c_{4,0}, c_{4,1}]$  are the coefficients of fractional delay filters.  $I_{m,m+1}(n)$  is the IF to generate the interpolated tap between channel  $m$  and channel  $m + 1$ . The input of the IF is the sampled raw data from the all subchannels.

To update the coefficients of the fractional delay filters with the detected time skew error  $\alpha$ , the coefficients are approximated by first-order polynomials of  $\alpha$  (shown in Fig. 6).

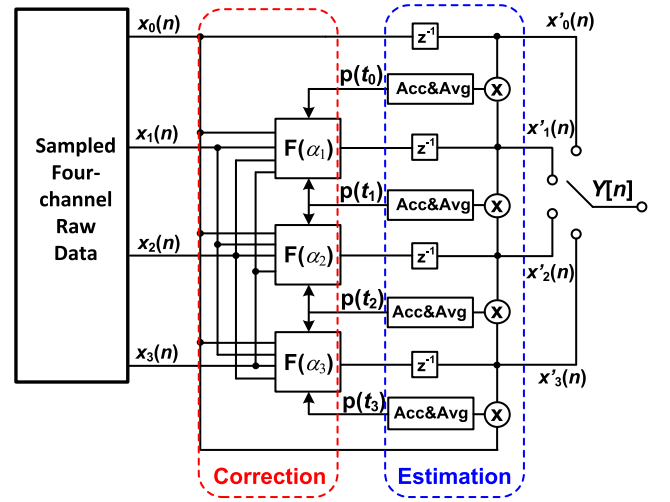


Fig. 5. Calibration architecture for the time skew error.

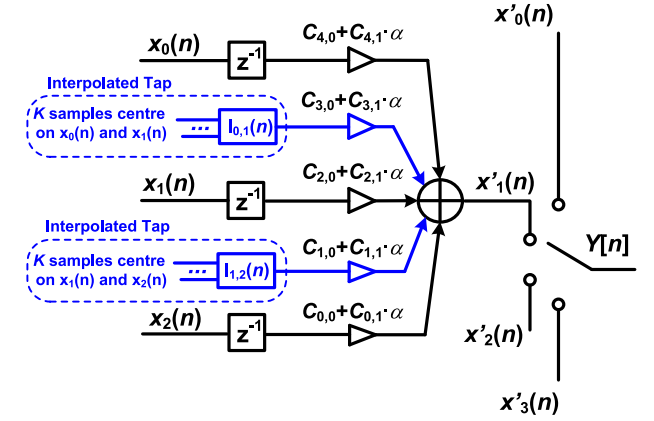


Fig. 6. Structure of FIR correction filter of a subchannel with  $N = 2$  and  $M = 4$ .

The approximation error is

$$e(\omega, \alpha) = F(\omega, \alpha) - D(\omega, \alpha) \quad (4)$$

where

$$F(\omega, \alpha) = \sum_{n=0}^N (c_{2n,0} + \alpha c_{2n,1}) e^{-j\omega(n + \frac{K-N}{2})T} + \sum_{n=0}^{N-1} (c_{2n+1,0} + \alpha c_{2n+1,1}) \sum_{k=0}^{K-1} e^{-j\omega(k+n)T} \quad (5)$$

and

$$D(\omega, \alpha) = e^{-j\omega(\alpha + \frac{K}{2})T}. \quad (6)$$

$F(\omega, \alpha)$  and  $D(\omega, \alpha)$  are the transfer function of the TIFD filter and the ideal fractional delay function, respectively. Variable  $K$  ( $K = 2, 4, \dots$ ) is the length of IF. For the ideal fractional delay filter,  $\alpha$  and  $K/2$  are the fractional (time skew) and integral delay (middle tap of IF), respectively. The coefficients of FDF  $C_{n,m} = [c_{0,0}, c_{0,1}, c_{1,0}, c_{1,1}, \dots, c_{2N,0}, c_{2N,1}]$ , whose length is  $4N + 2$ , are to be optimized. The transfer function  $F(\omega, \alpha)$  of the FIR filter can be rewritten as [43]

$$F(\omega, \alpha) = C_{n,m} \cdot (c(\omega, \alpha) - js(\omega, \alpha))^T \quad (7)$$

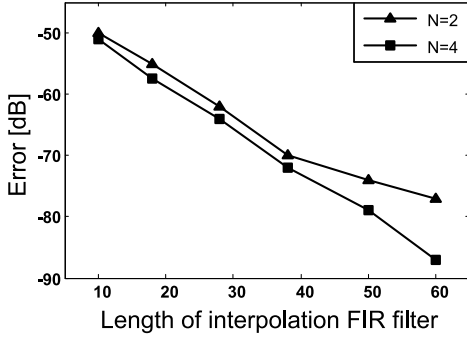


Fig. 7. Error level versus the length of interpolation FIR filters (bandwidth penalty = 5%, calibration range is  $[-0.002T, 0.002T]$ ).

where

$$c(\omega) = \left[ \cos\left(\frac{K-2}{2}\omega\right), a \cos\left(\frac{K-2}{2}\omega\right), \sum_{k=0}^{K-1} \cos(k\omega), a \sum_{k=0}^{K-1} \cos(k\omega), \dots, \sum_{k=0}^{K-1} \cos((k+N-1)\omega), a \sum_{k=0}^{K-1} \cos((k+N-1)\omega), \cos\left(\left(\frac{K}{2}-1+N\right)\omega\right), a \cos\left(\left(\frac{K}{2}-1+N\right)\omega\right) \right]$$

and

$$s(\omega) = \left[ \sin\left(\frac{K-2}{2}\omega\right), a \sin\left(\frac{K-2}{2}\omega\right), \sum_{k=0}^{K-1} \sin(k\omega), a \sum_{k=0}^{K-1} \sin(k\omega), \dots, \sum_{k=0}^{K-1} \sin((k+N-1)\omega), a \sum_{k=0}^{K-1} \sin((k+N-1)\omega), \sin\left(\left(\frac{K}{2}-1+N\right)\omega\right), a \sin\left(\left(\frac{K}{2}-1+N\right)\omega\right) \right]$$

The error level of the proposed TIFD filters-based time skew calibration technique is related to four parameters, which are the length of IF, the length of FDF, calibration range, and bandwidth penalty. Fig. 7 shows the error level versus different lengths of IF. As the length of IF increases, the error level could be achieved by 5-tap ( $N = 2$ ) FDF is limited to be  $-80$  dB. If a 9-tap ( $N = 4$ ) FDF is chosen, the error level could be suppressed to be  $-90$  dB. The error level versus calibration range is illustrated in Fig. 8. It indicates that with smaller the targeted calibration range, the error level could be less. Fig. 9 shows the relation between error level and bandwidth penalty. As the bandwidth penalty increases, the error level could be suppressed significantly. Similar with the scenario in Fig. 7, the error level is limited to be around  $-80$  dB when 5-tap FDF is selected. In this paper, the lengths of IF and FDF are set to be 38 tap and 5 tap, respectively. And a calibration range of  $\pm 0.002 T$  with 5% bandwidth penalty is selected. The optimization results are shown in Fig. 10.

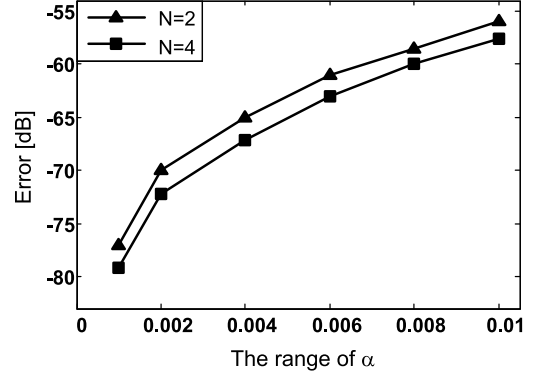


Fig. 8. Error level versus the range of fractional delay  $\alpha$  (bandwidth penalty = 5% and length of IF = 38 tap).

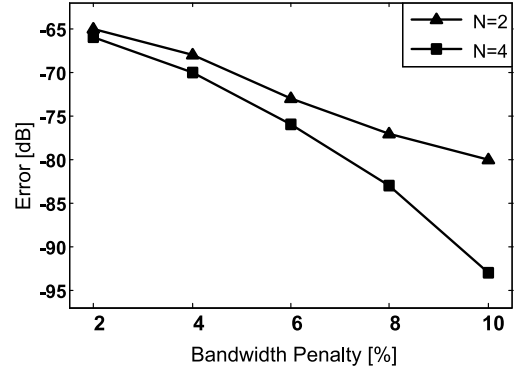


Fig. 9. Error level versus the bandwidth penalty (length of IF = 38 tap, calibration range is  $[-0.002T, 0.002T]$ ).

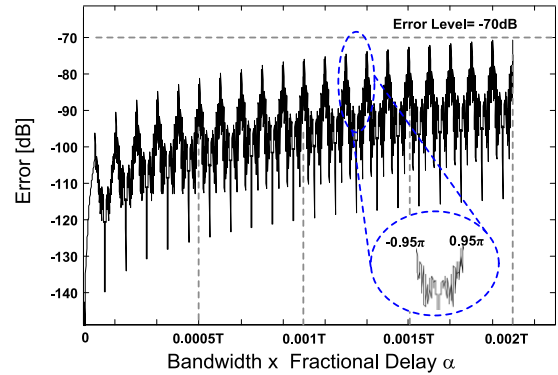


Fig. 10. Optimized error level versus bandwidth  $\times$  fractional delay (length of IF = 38 tap, length of FDF = 5 tap, bandwidth penalty = 5%, and calibration range is  $[-0.002T, 0.002T]$ ).

It shows that a  $-70$ -dB error level could be achieved. The advantage of the proposed calibration technique is that it can achieve background time skew error calibration with shorter tap fractional delay filters and less bandwidth penalty compared to [25] and [26]. Since the tap-interpolation is adopted in fractional correction filter design, it equivalently doubles the Nyquist band. Therefore, a smaller bandwidth penalty could be achieved. To save calibration cost, multiplier-less realization of digital filters [39] is employed. For instance, a 38-tap IF could be realized by using only 55 adders. The word length of all the optimized coefficients is 12 bits. As shown in Table I, with 38-tap IF and 5-tap TIFD filter, a  $-70$ -dB error level could be



TABLE I  
PERFORMANCE COMPARISON OF DIGITAL CALIBRATION

	Filter Length (taps)	Bandwidth Penalty	Error (dB)	Adaptive	Cal. Range
[25]	60	10%	-72	No	$0.15T$
[26]	75+30	33%	-72	Yes	-
[23]	-	9.25%	-70	No	-
<b>This work</b>	<b>38+5</b>	<b>5%</b>	<b>-70</b>	<b>Yes</b>	<b><math>0.002T</math></b>

obtained with only 5% bandwidth sacrificed. The coefficients optimization of the 38-tap IF is depicted in the Appendix.

### C. High-Speed Custom Weighted Subradix-2 SAR ADC

To design a 10-bit SAR ADC using conventional binary weighted digital-to-analog converter (DAC) array, it requires ten conversion cycles with each cycle satisfying the same settling accuracy requirement as

$$V_{\text{ref}} \cdot e^{-t/\tau} < V_{\text{ref}}/2^{M+1} \quad (8)$$

where  $M$  is the resolution of ADC,  $\tau$  is the  $RC$  time constant of DAC settling. It means the required settling time for 10-bit resolution is  $t > 7.6\tau$ . Otherwise, the comparison error occurs. With presence of the custom weighted subradix-2 DAC [34], the settling accuracy requirements for the MSBs are significantly relieved. Taking a 4% redundancy range as an example, the required settling time is

$$V_{\text{ref}} \cdot e^{-t/\tau} < 4\% \cdot V_{\text{ref}} \Rightarrow t > 3.2\tau. \quad (9)$$

Therefore, the settling time of DAC could be shorter. Due to the large capacitance of MSB branches, the significant drop of reference voltage can also be covered by proper subradix-2 weights setting. For a DAC array with a 0.25-pF capacitance and a conversion time of 3.3 ns, it can be shown in Fig. 11(a) that to satisfy the precision requirement of reference voltage recovering in single-channel SAR ADC, the decoupling capacitance  $C_{\text{dc}}$  between positive and negative of reference voltage should be around 300 pF. With the presence of subradix-2 searching, the size of decoupling capacitor could be significantly reduced. Fig. 11(b) shows the reference voltage settling in TI SAR ADC. Since all the subchannels share the same reference voltage, the conversion phase of any channel will be interrupted by the other channels. The worst case happens at sampling and MSB settling of other channels. The analysis of reference interference on TI SAR ADCs has been addressed in [42]. The reference error caused by sampling and MSB settling could easily influence the conversion of other channels. To tolerate the shared reference voltage interference, the minimum redundant value  $\varepsilon_r$  should be larger than the maximum reference voltage ripple [shown in Fig. 11(b)], which means

$$\frac{C_{\text{DAC}}}{C_{\text{dc}}} < \varepsilon_r. \quad (10)$$

The redundant value  $\varepsilon_r$  should cover the sampling phase of all the subchannels.

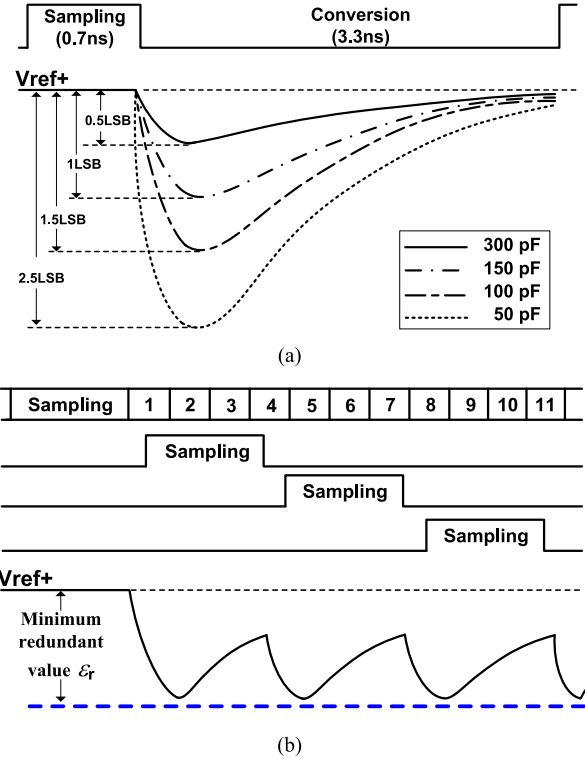


Fig. 11. Reference voltage settling. (a) In single-channel SAR ADC with different decoupling capacitances. (b) In a four-channel time-interleaved SAR ADC.

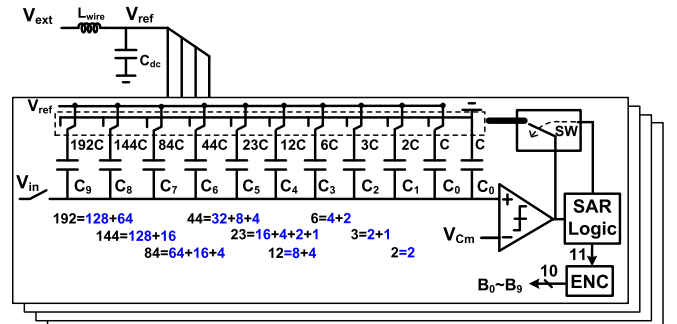


Fig. 12. Subradix-2 high-speed SAR ADC architecture, where only single end is shown.

In the TI SAR ADC, the subradix-2 weights are embedded into DAC array directly [34], resulting in high-speed conversions. The architecture of the subradix-2 SAR ADC is shown in Fig. 12. The off-chip reference voltage  $V_{\text{ext}}$  goes through the bonding wire  $L_{\text{wire}}$  and is decoupled by  $C_{\text{dc}}$  to generate  $V_{\text{ref}}$ . For sub-SAR ADC successive approximation, 11 conversion cycles are needed including one redundant bit. The subradix-2 weights  $D_{10} \sim D_0$  are

$$\begin{aligned} D_{10} &= 2^9 - d_1 \\ D_9 &= 2^8 + \frac{d_1}{2} - d_2 \\ D_8 &= 2^7 + \frac{d_1}{2^2} + \frac{d_2}{2} - d_3 \\ &\dots \\ D_0 &= 2^{-1} + \frac{d_1}{2^{10}} + \frac{d_2}{2^9} + \dots + \frac{d_{10}}{2} - d_{11} \end{aligned} \quad (11)$$

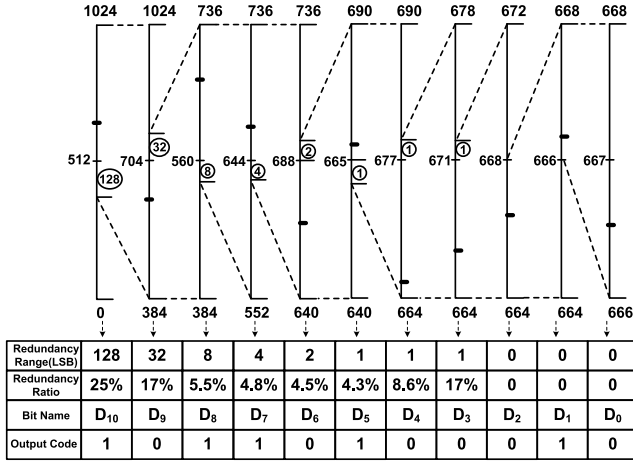


Fig. 13. Illustration of the subradix-2 algorithm operation with 666.5 LSB input.

TABLE II  
TIME ALLOCATION FOR ONE SAR CONVERSION

	Each cycle	Number of cycles
<b>DAC settling time</b>	<b>100 ps</b>	<b>10</b>
<b>Logic delay</b>	<b>50 ps</b>	<b>11</b>
<b>Comparison time</b>	<b>150 ps</b>	<b>11</b>
<b>Sampling</b>	<b>700 ps</b>	
<b>Total</b>	<b>3.9 ns</b>	

which are 384, 288, 168, 88, 6, 24, 12, 6, 4, 2, 1 [34]. The redundancy ratios of the all the cycles are set to be larger than 4% to tolerate errors caused by the incomplete settling of the control switches. The last two redundant values are set to 1 LSBs to adjust the number of unit capacitors as integers to facilitate the floor planning of the DAC array. In Fig. 13, the subradix-2 algorithm is illustrated with a 666.5 LSBs' input. The numbers in circles are the redundant values of each cycle. With the different constraints of error tolerance range, the redundant value of each cycle and the number of redundant cycles could be properly changed. The total settling time requirement is shortened from  $76\tau$  ( $7.6\tau \times 10$  cycles) to  $35.2\tau$  ( $3.2\tau \times 11$  cycles) by using the proposed subradix-2 algorithm. The time allocation for one SAR conversion is depicted in Table II.

To convert the redundant ADC output codes to binary codes, the adder-based ENC circuit illustrated in Fig. 14 is adopted.  $D_{10} \sim D_0$  represent the redundant outputs, and  $B_9 \sim B_0$  represent the binary codes. The ENC operation is realized by adders instead of multiplier-based FIR filters [33]. Compared with [20], no subtraction and extra unit capacitors are required. Although the hardware overhead [12 full adders (FA), 8 half adders (HA), 1 OR gate] is as the same as the ENC circuit in [34], the propagation delay is significantly improved. In the improved ENC circuit shown in Fig. 14, the delay of worst case includes four HAs and five FAs, which is from  $D_1$  (e.g., toggling from 0 to 1) to  $B_9$ . However, the delay of from  $D_1$  to  $B_9$  in the ENC circuit in [34] could include up to 5 HAs

Weight	512	256	128	64	32	16	8	4	2	1
		D <sub>10</sub> D <sub>9</sub>	D <sub>10</sub> D <sub>8</sub>	D <sub>7</sub>	D <sub>9</sub> D <sub>8</sub> D <sub>6</sub>	D <sub>7</sub> D <sub>5</sub>	D <sub>8</sub> D <sub>7</sub> D <sub>6</sub> D <sub>5</sub> D <sub>4</sub>	D <sub>6</sub> D <sub>4</sub> D <sub>3</sub> D <sub>2</sub>	D <sub>6</sub> D <sub>3</sub> D <sub>1</sub>	D <sub>0</sub>
+										
Binary out	B <sub>9</sub>	B <sub>8</sub>	B <sub>7</sub>	B <sub>6</sub>	B <sub>5</sub>	B <sub>4</sub>	B <sub>3</sub>	B <sub>2</sub>	B <sub>1</sub>	B <sub>0</sub>

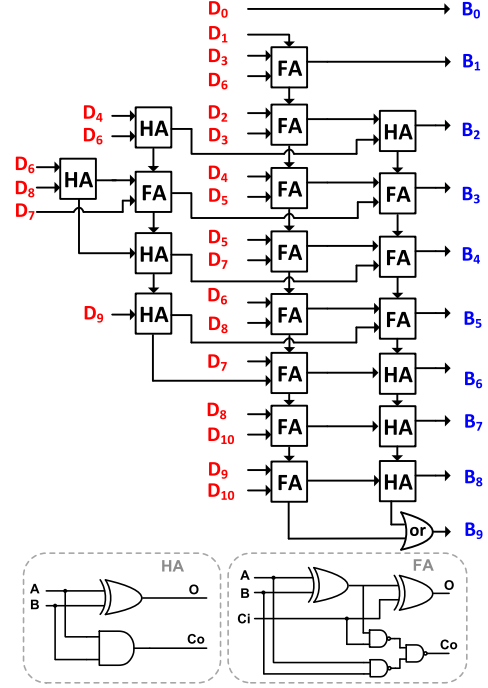


Fig. 14. Mapping table and schematic of ENC circuit from  $D_i$  ( $i = 0 \sim 10$ ) to  $B_j$  ( $j = 0 \sim 9$ ).

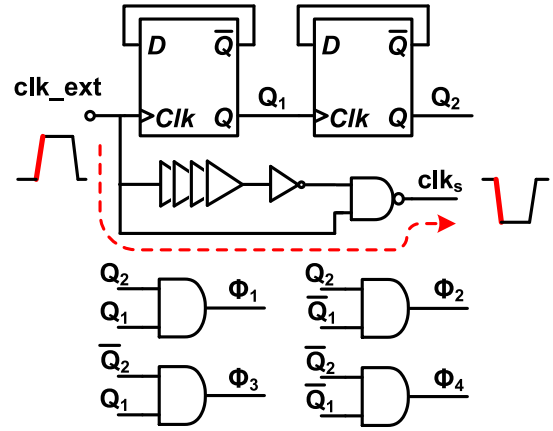


Fig. 15. Schematic of internal clock generator.

and 11 FAs. The ENC circuit are built with only adders (FA) and HA, resulting in low-power consumption.

### III. CIRCUIT DESIGN

#### A. Internal Clock Generator

To suppress the time skew in TI SAR ADCs, a clock signal with Nyquist sampling rate is needed. The schematic of internal clock generator is shown in Fig. 15, where  $clk\_ext$  is the external clock input. Signal  $Q_1$  and  $Q_2$  are generated

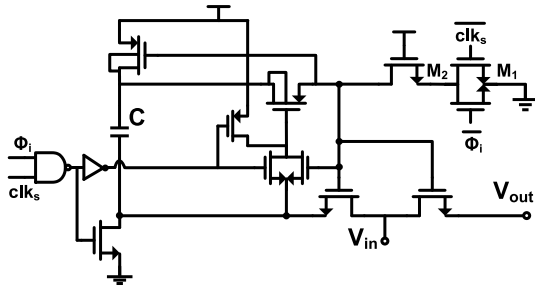


Fig. 16. Schematic of sampling switch.

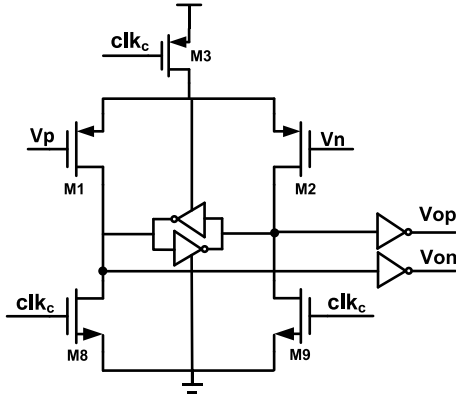


Fig. 17. Schematic of comparator circuit.

by divide by 2 and divide by 4, respectively. The signal  $clk_s$  is obtained from  $clk_{ext}$  with duty cycle changed. When  $clk_s$  is high, one of four subchannels operates in sampling phase. Using  $Q_1$  and  $Q_2$ ,  $\Phi_i$  ( $i = 1, 2, 3, 4$ ) can be generated through AND gates. In this design, the rising edge of the buffered  $clk_{ext}$  goes through only one NAND gate to generate the falling edge of  $clk_s$ , introducing less additional jitter through internal clock path. The power supply for  $clk_s$  generation is separated from other logic circuit to reduce power supply noise interference. The schematic of bootstrapped switch for the proposed sampling technique is drawn in Fig. 16.  $\Phi_i$  is the control signal mentioned before. When  $\Phi_i$  is high, the corresponding bootstrapped switch is activated.  $clk_s$  is the full rate sampling clock, dominating the sampling instant.

### B. Single-Channel SAR ADC

The monotonic DAC switching [31] is adopted for sub-ADC. The schematic of dynamic comparator is shown in Fig. 17. The pMOS transistors are adopted as the input pair. When  $clk_c$  is high, the comparator is in reset phase. It enters comparison phase when  $clk_c$  is low. Two inverters follow the  $Vop$  and  $Von$  to prevent hysteresis effect caused by the following latch circuit. The programmable synchronous timing generator providing local timing with process corner sensing function is shown in Fig. 18. The generator is an oscillation circuit with an enable signal  $clk_s$ . When  $clk_s$  is low, the oscillation loop is activated. A duplicated dynamic comparator is inserted into the loop to sense the process variation of regeneration time.  $t_{sel}$  is to tune the load capacitance of the comparator, which means changing the period of  $clk_c$ . The duty cycle adjustment block is used

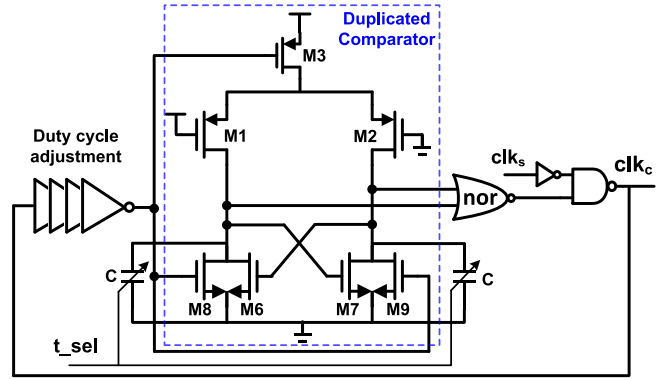


Fig. 18. Schematic of local synchronous timing generator.

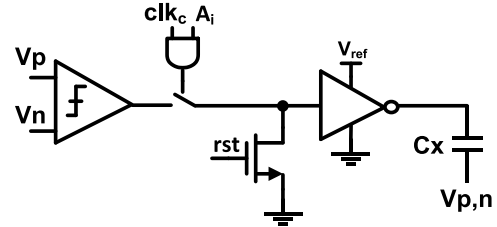


Fig. 19. Schematic of control logic circuit.

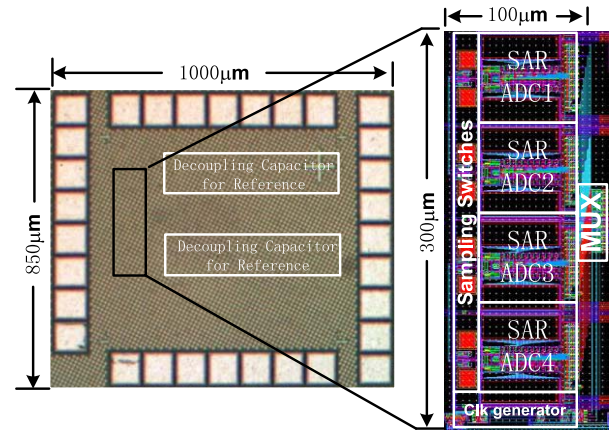


Fig. 20. Chip micrograph and layout.

to change the duty cycle of  $clk_c$  to balance the duration of comparison and DAC settling. The proposed dynamic control logic shortens the delay between comparator output and DAC array, which just equals to the delay of one transmission gate and an inverter. The schematic of DAC control logic is shown in Fig. 19. In the sampling phase, the reset signal  $rst$  is high, and all the unit capacitors in DAC array are connected to  $V_{ref}$ . During the conversion phase, the DAC array is controlled by  $clk_c$  under certain state  $A_i$ . The control logic is controlled by a state machine-based shift register. The unit capacitor is realized with five-stacked metal layer.

## IV. MEASUREMENT RESULTS

The ADC chip is fabricated in a 1P9M 65-nm CMOS process with low- $V_{th}$  option. The die photograph is shown in Fig. 20, and the ADC core occupied  $0.158 \text{ mm}^2$ . Instead of using power hungry reference buffer, a decoupling

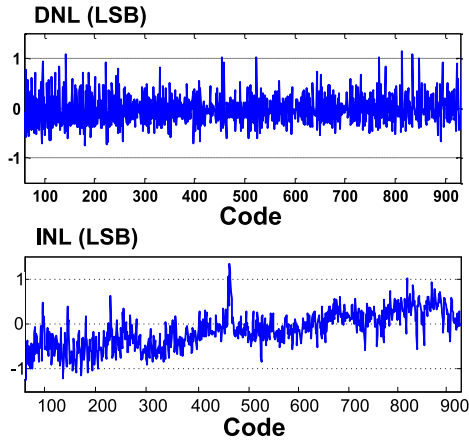


Fig. 21. Measurement results of DNL and INL.

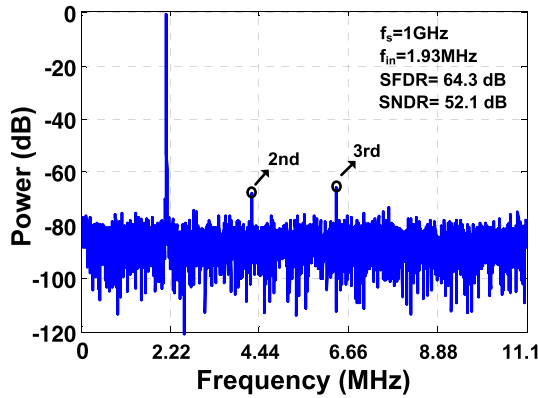


Fig. 22. Measured 8192-point FFT (digital output is decimated by 45) with  $f_{in} = 1.9$  MHz.

capacitor  $C_{dc}$  of 100 pF, which occupies 0.09 mm<sup>2</sup>, is used to guarantee a sufficient error coverable range for the successive approximation comparisons. The measurement is conducted in room temperature. The power consumption is 7.95 mW (excluding off-chip time skew calibration) at 1.2-V power supply when operating at 1 GS/s, with each subchannel SAR ADC consuming 1.85 mW, and 0.4 mW for the internal clock generation and multiplexing. The ENC block is designed off-chip, of which the estimated power is 0.15 mW and its area is 110  $\mu$ m<sup>2</sup>. The offset mismatch and background time skew calibration are done off-chip, of which the estimated power consumption is 8 mW and area is 0.038 mm<sup>2</sup> with 39 600 gate count. The capacitance of each single-end input sampling DAC array is 240 fF (512C, each unit capacitor  $C$  of 0.47 fF) excluding parasitic capacitance. To reduce the effect of parasitic inductor of bonding wire, double input pads are used with the parasitic capacitance of 2 pF. The impedance of input is matched to be 50  $\Omega$  on board, resulting in a 3-GHz input bandwidth. In this design, the differential input range is 2  $V_{p-p}$  at 1.2-V supply.

The measured differential nonlinearity (DNL) and integral nonlinearity (INL) are shown in Fig. 21. The peak DNL is +1.2/−0.7 LSBs and peak INL is +1.3/−1.2 LSBs. Fig. 22 shows the measured output spectrum of 1.9 MHz. The SNDR is 52.1 dB, which is limited by large measured input-referred noise of comparator. Before offset calibration,

TABLE III  
SUMMARY OF THREE TESTED CHIPS

Chip sample	Time error (SFDR @458.1 MHz)	Offset error (Average)	Gain error (Average)
No.1	52.1 dB	26mV	0.0008
No.2	55.3 dB	17mV	0.0005
No.3	53.4 dB	28mV	0.0006

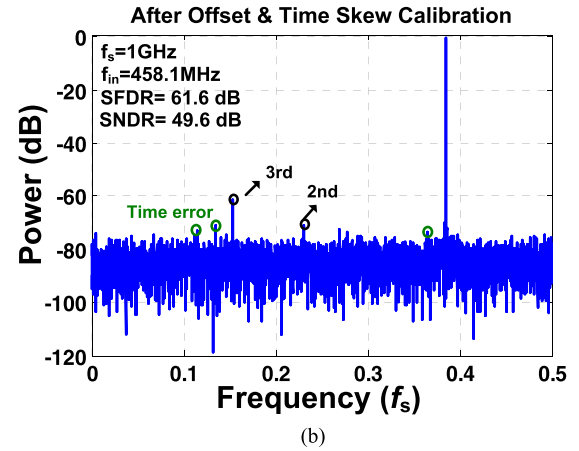
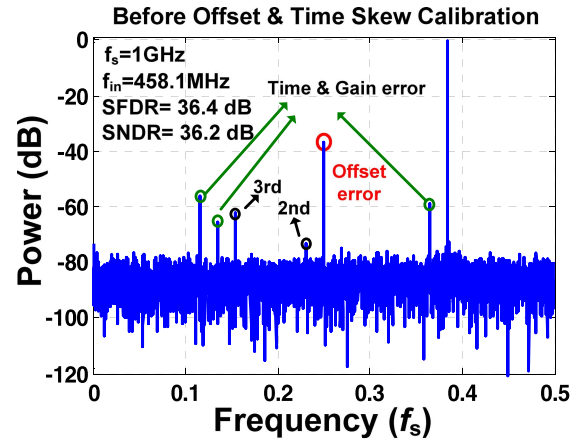


Fig. 23. Measured 8192-point FFT (digital output is decimated by 45) with  $f_{in} = 458.1$  MHz (a) before and (a) after offset and time skew calibration.

TABLE IV  
OPTIMIZED FILTER COEFFICIENTS

$C_{n,m}$	$m=0$	$m=1$
$n=0$	-3.5e-7 (0)	0.2675
$n=1$	4.1e-6 (0)	-1.4925
$n=2$	1	-7.3e-13 (0)
$n=3$	4.1e-6 (0)	1.4925
$n=4$	-3.5e-7 (0)	-0.2675

the SNDR and spurious-free dynamic range (SFDR) are degraded mainly by offset mismatch. It is found that the gain mismatch is small enough with negligible effect on the SNDR and SFDR. Without time skew calibration, the SFDR caused



TABLE V  
COMPARISON OF STATE-OF-THE-ART GIGAHERTZ ADCs

	ISSCC 2016[41]	JSSC 2013[15]	JSSC 2014[13]	ISSCC 2013[5]	ISSCC 2014[23]	ISSCC 2014[22]	This Work	
Architecture	TI-SAR	Pipe-line	Pipe-line	TI-SAR	TI-SAR	TI-SAR	TI-SAR	
Time skew calibration	Off-chip	Off-chip	No	No	On-chip	Off-chip	No	Off-chip
Technology (nm)	40	65	65	40	40	65	65	
Supply voltage(V)	1.1	1.0	1.0	1.2	1.1	1.0	1.2	
Power (mW)	18.4 <sup>(1)</sup>	19.0	7.1	10.8	93	18.9	7.95	15.95 <sup>(2)</sup>
F <sub>s</sub> (GS/s)	2.6	0.8	1.0	0.9	1.6	1.0	1.0	
Resolution(bit)	10	10	9	9	9	10	10	
SNDR@ Nyquist(dB)	50.6	52.2	47.7	51.2	48.0	51.4	48.3	49.6
FoM (fJ/con-step)	25.6 <sup>(1)</sup>	71.4	35.6	40.5	283	62.3	36.7	63 <sup>(2)</sup>
Active Area (mm <sup>2</sup> )	0.825 <sup>(1)</sup>	0.18	0.1	0.038	0.83	0.78	0.03	0.158 <sup>(2)(3)</sup>

(1) Digital calibration is not included.

(2) Including estimated power and active area used for the offset and time skew calibrations.

(3) Decoupling capacitors are included.

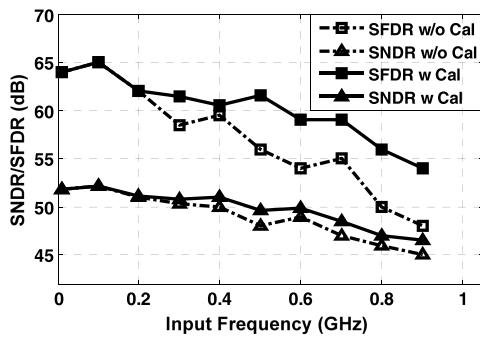


Fig. 24. SFDR and SNDR before and after time skew calibration versus input frequency at  $f_s = 1$  GHz and  $V_{dd} = 1.2$  V.

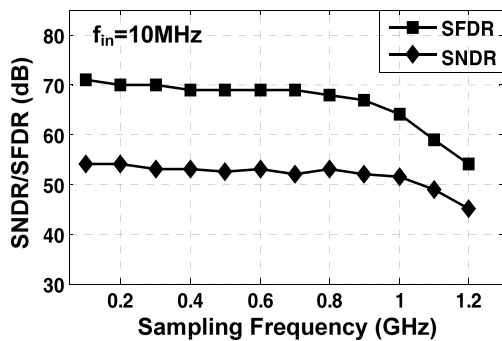


Fig. 25. SFDR and SNDR versus sampling frequency at  $f_{in} = 10$  MHz and  $V_{dd} = 1.2$  V.

by time error at 458.1-MHz input is around 52–55 dB (0.6-ps rms equivalently) with  $W/L$  of  $M_2$  (Fig. 16) being around  $4 \mu\text{m}/60 \text{ nm}$ . The summary of measurement for the three sample chips is listed in Table III. In Fig. 23, after offset and time skew calibration, the measured SFDR at a 458.1-MHz input are improved to 61.6 dB (harmonic dominated), with all the time skew spurs less than  $-70$  dB. The corresponding

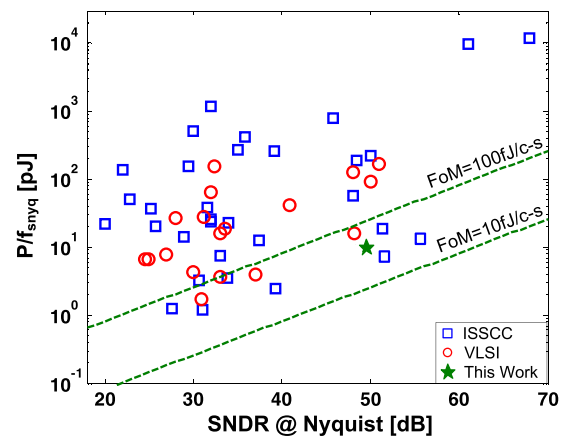


Fig. 26. Energy per conversion for all ADCs with published at ISSCC and VLSI conferences from 1997 to 2016.

effective number of bit is 7.96 bits at Nyquist input frequency. The length of time skew correction filter and IF is set as 5 and 38, respectively, which calibrate the time skew spurs to be lower than  $-70$  dB. The coefficients of correction filter are listed in Table IV. Assuming the first channel as the reference channel, the measured time skew of other three channels in one chip are  $-0.6$ ,  $0.1$ , and  $-1.5$  ps. The iterative time step  $T_{step}$  is set to  $0.1$  ps. Fig. 24 shows the SFDR and SNDR (before and after time skew calibration) versus input frequency from 10 to 900 MHz. Fig. 25 shows the SFDR and SNDR versus sampling frequency at 10-MHz input frequency. Compared with the state-of-the-art ADCs (Table V), the proposed ADC achieves a low figure-of-merit value of 36.7 fJ/conversion step (63 fJ/conversion step with time skew compensation) and a die size of  $0.03 \text{ mm}^2$  ( $0.158 \text{ mm}^2$  including time skew calibration and decoupling capacitors). In terms of energy per conversion, this paper achieves 15.9 pJ per conversion. A comparison with the prior state-of-the-arts ADCs faster

TABLE VI  
COEFFICIENTS OF INTERPOLATION FILTER

<i>n</i>	IF( <i>z</i> )	<i>n</i>	IF( <i>z</i> )	<i>n</i>	IF( <i>z</i> )
0	0.00375	13	-0.05225	26	0.03500
1	-0.00500	14	0.06600	27	0.02900
2	0.00650	15	-0.08725	28	-0.02450
3	-0.00800	16	0.12475	29	0.02050
4	0.00975	17	-0.21075	30	-0.01725
5	-0.01200	18	0.63600	31	0.01425
6	0.01425	19	0.63600	32	-0.01200
7	-0.01725	20	-0.21075	33	0.00975
8	0.02050	21	0.12475	34	-0.00800
9	-0.02450	22	-0.08725	35	0.00650
10	0.02900	23	0.06600	36	-0.00500
11	-0.03500	24	-0.05225	37	0.00375
12	0.04225	25	0.04225		

than 1 GS/s published at ISSCC and VLSI conference from 1997 to 2016 [38] is shown in Fig. 26.

V. CONCLUSION

A test chip of a four-channel 10-bit SAR ADC with sampling rate up to 1 GS/s, adopting time skew suppressed sampling technique, is presented. By utilizing the power and area efficient subradix-2 high-speed sub-SAR ADCs, the TI-ADC achieves a low-power consumption (15.95 mW) at 1 GS/s and small silicon area of 0.158 mm<sup>2</sup> including time skew calibration and decoupling capacitors. Moreover, the remaining time skew error could be compensated readily to be lower than -70 dB by TIFD filters-based digital background time skew calibration. The custom designed subradix-2 DAC array improves the error tolerance capability during the conversion. Additionally, the adders-based ENC logic provides a power and area efficient error-tolerant SAR ADC architecture.

APPENDIX

The Appendix describes the optimization of coefficients of IF. The approximation error is

$$e_{IF}(\omega) = F_{IF}(\omega) - D_{IF}(\omega) \tag{12}$$

where

$$F_{IF}(\omega) = \sum_{k=1}^K c_k \cdot e^{-j\omega kT} \tag{13}$$

and

$$D_{IF}(\omega) = e^{-j\omega\left(\frac{1}{2} + \frac{K}{2}\right)T} \tag{14}$$

$F_{IF}(\omega)$  and  $D_{IF}(\omega)$  are the approximation function and the ideal half delay, respectively. Variable  $K$  ( $K = 2, 4, \dots$ ) is the length of interpolation FIR filter. The coefficients  $c_k$  ( $k = 1, 2, \dots, K$ ) are to be optimized. The min-max criterion

is adopted to optimize the coefficients of IF, and the optimization problem is solved by standard second-order cone programming solver [43]. The coefficients of the 38-tap IF are listed in Table VI. The coefficients are symmetric about the two central taps (tap-18 and tap-19). The word-length of the coefficients is 12 bits.

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